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# New Algorithm for Digital Video Encryption 

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#### Abstract

This research aims to propose a safe digital video data alternative employing symmetric cryptography and an encryption technique using Partition. The Hill Cipher method requires a square key matrix with an inverse modulo the unimodular matrix is one of the unique matrices with an inverse. The encryption mechanism is modulo matrix multiplication, with shift cipher encryption employed to encrypt defective partitions. The results reveal that the videos are well encrypted and difficult for third parties to read the partition encryption technology assures that the encrypted and decrypted file sizes are the same. The background of this topic is that digital data security is increasingly important due to the increasing use of digital technology. This research aims to develop a more secure and effective video encryption algorithm by combining several cryptographic methods such as Hill cipher, partition, the shift cipher, unimodular matrix, and binary file concept logistic function. The method used in this study is experimental by using the Python programming language to implement the encryption algorithm. The trials were carried out by comparing the performance of the algorithms developed using different key sizes and variations of the combination methods used. The results show that the developed algorithm can provide a high level of security in the video encryption process with good effectiveness. The use of a combination of different cryptographic methods also has a positive impact on the resulting level of security. Therefore, the developed encryption algorithm can be a good alternative for use in securing sensitive video data.


Keywords: Python, Custom Logistic Map, Hill Cipher, Unimodular Matrix, Partition

## Introduction

Digital videos are quite significant in this decade. While sharing digital videos from one person to another, the process of security is typically conducted. In lowsecurity broadcasts, we'll make an effort to draw attention to the level of security. This necessitates greater security for sending and storing digital videos. Digital video encryption is one approach. The Hill Cipher is a wellknown encryption algorithm. The Hill Cipher has lately undergone a number of changes. They are the Hill Cipher in combination with a genetic algorithm, the Hill Cipher in combination with image block randomization, and pixel value transformation the Hill Cipher in combination with a chaotic function. In this strategy, the sole finite key matrix employed is either $3 \times 3-4 \times 4$. Finding the inverse
key or invertible key matrix is said to be difficult or timeconsuming if the key matrix size exceeds four (Jarjar et al., 2020; Obaida et al., 2022).

A special matrix, known as a unimodular matrix, can be used to resolve this problem. We employ Basic Row Operations to produce a unimodular matrix. It's not necessary to use the complete matrix as a key. We will create a unimodular matrix using a Custom Logistic Map because fewer components are required. The Python 3.10 programming language will also be used to implement the suggested method on a number of standard grayscale and color pictures. Learning Python is a rather simple process. This application is also quite easy to get. Only a few operating systems, including Windows, Linux, Mac OS Android, support Python. Python has several applications across a wide range of fields of study and skill sets. These
are some of the justifications for using Python (Muktyas and Arifin, 2018; Arifin et al., 2022a). We discovered a flaw in an earlier study, specifically the constrained key space for password 1. This is so because the size of the digital video is a factor that is related to password1. The only sizes that are possible are $1, \mathrm{p}_{1}, \mathrm{p}_{2}$ and $\mathrm{p}_{1} \mathrm{p}_{2}$ if the video size is $p_{1} p_{2}$, where $p_{1}$ and $p_{2}$ are prime values. By combining the Shift 128 cipher and the Hill Cipher, this can be avoided (Muktyas et al., 2021).

There are a few things that need to be explained in relation to the ensuing questions. When unimodular matrix encryption over $\mathrm{Z}_{256}$ is just as effective, why do we need to apply shift cipher 128 encryption and combination encryption techniques? The response is given below. Partitions and encryption techniques are used first. Encryption techniques with Partitions allow us to perform the encryption process quickly and efficiently without overburdening the performance of the machine (computer). With Partition Encryption Technique, we encrypt files in small parts. This is more efficient than if we encrypt files with (possibly) very large sizes. The analogy to the way we eat large meals. Of course, we will eat it in small pieces because our mouths will find it difficult to chew large foods efficiently. Second, shift cipher 128 encryption is required because partitioning a file could lead to an improper partition. Shift cipher 128 is used to encrypt the problematic partition. Especially if the imperfect partition size's prime is relatively large (Rihartanto et al., 2020; Elkamchouchi et al., 2020).

The research domain of this topic is cryptography and information security, particularly in encryption techniques to protect digital video from unauthorized access (Paragas et al., 2019). In addition, this topic can also be included in the multimedia field, especially in the video encryption process. The novelty of this research is the use of a combination of several pre-existing cryptographic methods, namely Hill cipher, partition, shift cipher, and unimodular matrix logistic functions in the video encryption process. The combination of several cryptographic methods can increase security and encryption resistance against attacks from irresponsible parties (Rajvir et al., 2020).

The background of this topic is that digital data security is increasingly important along with the increasing use of digital technology. Digital video is becoming an increasingly popular form of digital data and needs to be protected from unauthorized access. Therefore, it is important to develop stronger and more efficient encryption algorithms to protect digital videos from attacks. Hill cipher method, partition, shift cipher, and unimodular matrix logistic function are some of the encryption techniques that have been developed before and have proven to be strong enough to protect digital data (Yang et al., 2020). However, the combination of these techniques can significantly improve encryption security.

In addition, previous research on video encryption has yielded several techniques, but most of them have not been fully effective or practical in real applications. Therefore, there is a need to continue to develop better encryption techniques to protect digital videos in a more effective and efficient way. In this case, the combined implementation of the Hill cipher method, partition, shift cipher, and unimodular matrix logistical functions in the video encryption process can be an important contribution to the development of stronger and more efficient video encryption techniques (Ibrahim et al., 2021).

Some of the reasons for the importance of the work proposed in this topic include the following. Cryptography is a very important field for maintaining the confidentiality of data and information, especially in the increasingly advanced digital era. The use of a combination of several strong cryptographic methods can provide better protection for digital data, especially for sensitive or confidential data. Video is an increasingly used and important form of digital data, especially in the multimedia and entertainment fields (Suresh and Ratheesh, 2020). Therefore, protecting videos is becoming increasingly important, especially in terms of security and privacy. The combination of several strong cryptographic methods such as Hill cipher, partition, shift cipher, and unimodular matrix logistic functions can provide a higher level of security for video encryption because each method has different advantages and disadvantages. This research can contribute to the development of stronger and more effective cryptographic methods to protect digital data, especially in terms of using complex combinations of cryptographic methods. The results of this study can be useful for application and system developers who require a high level of security for digital data, especially in the multimedia and entertainment fields (Dooley, 2018).

In this study, a method for encrypting video is proposed that combines the Hill cipher, partition, shift cipher, and unimodular matrix logistic functions (Rahman et al., 2013). Some of the quantitative advantages of this method include:
(a) Data security: By using this combination method, the level of data security in the video encryption process can increase, because the combination of several different cryptographic methods will provide stronger security than using a single method alone. (b) Better performance: Implementation of this combination makes it possible to perform the encryption process with better performance and faster because the use of several different cryptographic methods can speed up the encryption process. (c) More efficient use of resources: This method can help use resources more efficiently, such as memory and CPU usage, so that the video encryption process can run more smoothly and does not take up much time and resources. (d) Compatibility with future technologies: This method can also be adapted to future technological developments, so as
to provide better security and performance in future application development (Basavaiah et al., 2021).

In the context of the work proposed in this study, there are several methods/approaches used, namely: (a) Hill Cipher: This method is used to encrypt data using a key matrix and a plaintext matrix. This method is one of the classic cipher methods which is fairly safe. (b) Partition: This method is used to divide the data to be encrypted into several parts of the same size. This is done to simplify the encryption process. (c) Shift Cipher: This method is used to shift the characters in the text by a certain number of positions to produce encrypted text. (d) Unimodular Matrix: This method is used to generate a secure key matrix that is not easily guessed by unauthorized parties. (e) Logistics Function: This method is used as a scrambling algorithm in the data encryption process. The logistic function can generate random numbers with an unpredictable distribution. By combining these methods, it is expected to produce an encryption system that is more secure and effective in securing data on videos (Muktyas et al., 2021; Arifin et al., 2021).

In this research, we propose a Python-based encryption technique for digital films based on unimodular matrices and logistic maps (Delmi et al., 2020). The topic of research methodologies is covered first, followed by an analysis of the theory applied and our Python code. The discussion of the algorithm's implementation is followed by some analysis the paper ends with a Conclusion session (Arifin et al., 2022b). The specific contributions of this study are as follows. (a) Developing a new method for securing video data by using a combination of Hill cipher, partition, shift cipher, and unimodular matrix logistic functions methods. (b) Improves video data security with more complex encryption methods. (c) Provides a new alternative to existing video encryption methods. (d) Proving the effectiveness and superiority of the proposed method in securing video data (Muktyas et al., 2021).

This study suggests that implementing the Hill cipher, partition, shift cipher, and unimodular matrix logistic functions in tandem with video encryption can increase data security on the video and prevent unwanted access to it. The limitations of this study, the test was only carried out on videos with certain formats and had not been tested on different video formats. In addition, the test was only conducted at certain video sizes and has not been tested for larger video sizes (Hussein and Amintoosi, 2023).

In this study, we use the flow as follows. The introductory session contains the background, problem formulation, aims, and benefits of this research. In the Methodology session, we discussed the concept of Hill Cipher, partition, shift cipher, and unimodular matrix logistic function. Furthermore, we also discuss the implementation of the program code that we created during the digital video encryption and decryption
process. In the results and discussion section, we examine the results obtained in this research and discuss them. Write this ending with conclusions, suggestions open issues contained in the Conclusion section (Arifin and Muktyas, 2018).

## Materials and Methods

Several methods/approaches that can be used in this research are (a) Hill cipher method for text encryption. (b) Partition method to break the video into small blocks. (c) Shift cipher method to shift characters in the text. (d) Unimodular matrix to ensure proper encryption and decryption. (e) Logistics function to generate random keys in the encryption and decryption process. Some of the inspiration that can be drawn from the work on this topic includes A combination of several cryptographic methods to increase the security of data encryption. Application of the concept of unimodular matrices to cryptography to generate random keys. The use of logistical functions in the data encryption process increases the complexity of the encryption process and the difficulty of decryption. The use of cryptographic technology in video is a form of developing the use of cryptographic technology in the multimedia field (Muktyas et al., 2021; Arifin et al., 2021).

Plaintext was encrypted by Lester Hill using a system of linear equations. The Hill cipher divides plaintext into a number of blocks prior to encrypting it. The SLE with n equations and $n$ variables modulo $m$, where $m$ is an integer, is solved to produce ciphertext when given an element plaintext block. Matrix multiplication could be used to finish the SLE. Due to the symmetrical cryptography used by the Hill Cipher, the created key must have an inverse (Hanson, 1982). The following Fig. 1 is a view of the folder containing the application we are developing.

In this study, the machine's terminology and Python's terms are as follows. Machine specifications must be used by a laptop or computer. Using a machine with 8 GB RAM and Ryzen 3100 processor, this application was created. System requirements for operating the Windows operating system must be installed on the PC or laptop. The operating system Windows 10 Pro 21H1 was used to create this application. Python Prerequisites Python 3 must be installed on the computer or laptop being used (Arifin and Garminia, 2019). Make that the NumPy and tqdm packages for Python have been installed if Python 3 has been installed. For further information, see the figure. If the package hasn't already been installed, do so using the steps below. Please launch the Command Prompt to install the NumPy package. After entering pip install NumPy, press the Enter key. need to set up the tqdm package. Launch the command prompt. Once you've typed pip install tqdm, hit the enter key (Oliphant, 2007).

Following that, we'll discuss a unique matrix known as a unimodular matrix, which will act as the study's key matrix. We'll look at unimodular matrices and how to create them.

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Fig．1：The folder containing the application we are developing

According to Harrison 1982，if $\operatorname{det}(A)=-1$ or $\operatorname{det}(A)=1$ ， a matrix $A$ with integer entries for each element is considered to be unimodular．Unimodular matrices include the identity matrix，upper triangular matrix lower triangular matrix，with diagonal entries of 1 or－ 1．The following theorem，which supports this，reads （Arifin and Muktyas，2018）：

$$
\text { if } A_{n \times n} \text { is a triangular matrixthenit applies } \operatorname{det}(A)=a_{11} \cdot a_{11} \ldots . . a_{n n}
$$

Following are the steps for constructing a unimodular matrix of size $n \times n$ using Python：（a）Make a diagonal matrix using the entries in the diagonal $a_{i i}=1$ or $a_{i i}=-1$ ． （b）For each element in $a_{i j}$ ，enter any integer with $i<j$ ．As a result，an upper triangular matrix with a determinant of 1 or -1 has been created．This matrix has only one module． （c）In order for a matrix to be complete，employ simple row operations or simple column operations going from the final row or column to the first row or column （Komosko et al．，2016）．

The encryption method with partitions that will be employed in this study will next be covered．Please note that a file is composed of bytes．The value of one byte is an integer from $0-255$ ．Partitioning is dividing a file into smaller parts．The small part is called a partition．For example，a simple example is as follows．We have a file size of 418 bytes．If we want to partition the file with a partition that is 128 bytes long，we will get 4 partitions． The acquisition of the number 4 is explained as follows． Yes，the trick is to divide 418 by 128 ．However， 418 is not
divisible by 128．Moreover， 418 divided by 128 is 3．265625．Yes，because the result of the division （3．265625）is rounded up． 3.265625 is rounded up to 4 ． The four partitions are $1^{\text {st }}$ partition： $1^{\text {st }}$ bytes to $128^{\text {th }}$ bytes． $2^{\text {nd }}$ partition： $129^{\text {th }}$ bytes to $256^{\text {th }}$ bytes． $3^{\text {rd }}$ partition： 257 bytes to 384 bytes． $4^{\text {th }}$ partition： 385 bytes to 418 bytes． Note that the $1^{\text {st }}, 2^{\text {nd }}$ and $3^{\text {rd }}$ partitions are the same length， which is 128 bytes．While the $4^{\text {th }}$ partition has a length of 34 bytes．The $4^{\text {th }}$ partition is referred to as an imperfect partition．The $1^{\text {st }}, 2^{\text {nd }}$ and $3^{\text {rd }}$ partitions are called perfect partitions（Obaida et al．，2022）．

Partitions make the encryption easier for us to encrypt a file．We will partition a source file in such a way that it will only result in at most one imperfect partition．The method is as follows．We first set the partition size，which is $q$ bytes．If our source file is $N$ bytes，then：（1）If $N$ is divisible by $q$ ，then we will have partitions of $N / q$ which are all perfect partitions（2）If $N$ is not divisible by $q$ ，then we will have partitions several $(N-(N \bmod q)) / q$ which are perfect partitions and 1 imperfect partition．Using the unimodular matrix encryption technique on the $Z_{256}$ ，we encrypt all perfect partitions one by one． $1^{\text {st }}$ perfect partition encrypted $1^{\text {st }}$ perfect partition $2^{\text {nd }}$ perfect partition encrypted $2^{\text {nd }}$ perfect partition．．．and so on．If there is an imperfect partition，then we can encrypt the imperfect partition using the shift cipher－128 encryption technique．Incomplete partition encryption result．The encryption result is a combination of the results of the previous two steps．Examples of encryption techniques
with partitions are as follows. Suppose we have a file size of 18 bytes to be encrypted. The file structure is as follows: $1^{\text {st }}$ byte $=133,2^{\text {nd }}$ byte $=57,3^{\text {rd }}$ byte $=91,4^{\text {th }}$ byte $=19,5^{\text {th }}$ byte $=0,6^{\text {th }}$ byte $=211,7^{\text {th }}$ byte $=70,8^{\text {th }}$ byte $=11,9^{\text {th }}$ byte $=104,10^{\text {th }}$ byte $=67,11^{\text {th }}$ byte $=78$, $12^{\text {th }}$ byte $=86,13^{\text {th }}$ byte $=112,14^{\text {th }}$ byte $=51,15^{\text {th }}$ byte $=0,16^{\text {th }}$ byte $=133,17^{\text {th }}$ byte $=1118^{\text {th }}$ byte $=90$ (Jameel and Fadhel, 2022).

The steps are as follows: Step 1. We set the partition size to be 4 bytes. Thus we will have 4 perfect partitions and 1 imperfect partition. (a) The $1^{\text {st }}$ perfect partition contains the $1^{\text {st }}-4^{\text {th }}$ bytes: $133,57,91,19$ (b) $2^{\text {nd }}$ perfect partition contains $5^{\text {th }}-8^{\text {th }}$ bytes: $0,211,70,11$ (c) $3^{\text {rd }}$ perfect partition contains $9^{\text {th }}-12^{\text {th }}$ bytes: $104,67,78,86$ (d) The $4^{\text {th }}$ perfect partition contains the $13^{\text {th }}-16^{\text {th }}$ bytes: 112 , $51,0,133$ and (e) The imperfect partition contains $17^{\text {th }}$ $18^{\text {th }}$ byte: 11,90 . Step 2 is up next. We encrypt all $1^{\text {st }}-4^{\text {th }}$ Perfect Partitions using the unimodular matrix encryption algorithm over $\mathrm{Z}_{256}$. As an example: (a) The first perfect partition encryption with a unimodular matrix encryption algorithm over $\mathrm{Z}_{256}$ yielded 54, 14, 90, 211. (b) The results of the second perfect partition encryption with unimodular matrix encryption over $\mathrm{Z}_{256}$ are $244,142,16$, 25 244. (c) The third perfect partition encryption with unimodular matrix encryption approach over $\mathrm{Z}_{256}$ yielded 66, 67, 114, 115 (d) The results of the fourth perfect partition encryption using unimodular matrix encryption over $Z_{256}$ are 91, 92, 93 94. Step 3 is as follows. Because there is an imperfect partition, we can encrypt the imperfect partition using the shift cipher-128 encryption technique. For example, the result of imperfect partition encryption with shift cipher-128 encryption technique is 43,143 . Finally, Step 4. The result of the encryption is a combination of the results in step 2 and 3 . Here is the arrangement of the bytes of the encrypted file using the partitioning technique (a) $1^{\text {st }}$ byte $=546^{\text {th }}$ bytes $=14211^{\text {th }}$ bytes $=11416^{\text {th }}$ bytes $=94$, (b) $2^{\text {nd }}$ byte $=14^{\text {th }}$ bytes $7^{\text {th }}=$ $16^{\text {th }}$ bytes $=115^{\text {th }}$ bytes $17^{\text {th }}=43$, (c) $3^{\text {rd }}$ byte $=908^{\text {th }}$ bytes $=13^{\text {th }} 25$ bytes $=9118^{\text {th }}$ bytes $=143$, (d) $4^{\text {th }}$ byte $=2119^{\text {th }}$ byte $=6614^{\text {th }}$ bytes $=92(\mathrm{~d}) 5^{\text {th }}$ byte $=24410^{\text {th }}$ bytes $=67$ $15^{\text {th }}$ bytes $=93$ (Jameel and Fadhel, 2022).

Please pay some attention to the color of the numbers above. The $i^{- \text {th }}$ byte in the $j^{\text {th }}$ partition in the source file will correspond to the $i^{\text {th }}$ byte of the $j^{\text {th }}$ partition in the encrypted file. Then we'll go over the shift cipher 128 encryption method. Let's go through some fundamental algebraic structural concepts. Keep in mind that $\mathrm{Z}_{256}=\{0.1,2,3,4,255\}$. $\mathrm{Z}_{256}$ is the group for addition operations modulo 256 . The modulo 256 multiplication operation is not opposed by the group $\mathrm{Z}_{256}$. Plain text is text that has not been encrypted. After the text has been encrypted, it is known as ciphertext (Anton, 2018).

This is the shift cipher 128 encryption method. If the raw text has 256 elements, shift cipher 128 will encrypt it
by multiplying each element by 128 (modulo 256). Consider the case below. 5 character known plain text string: $213,110,7,91,65$. The plain text will be encrypted using shift cipher 128. The procedures are as follows. In plain text, the first character is 213 . Add (modulo 256) $213-128$ to get $(341) \bmod 256=85$. The plain text encryption result for the first character is 85.85 is the ciphertext's character -1 . In plain text, the second character is 110. Add (modulo 256) 110-128 to get (238) $\bmod 256=238$. In plain text, the encryption result for the second character is 238 . The character -2 in the ciphertext is 238 . In simple text, the third character is $7.7+\bmod 256$ $128=(135) \bmod 256=135.7+\bmod 256128=(135) \bmod$ $256=135$. In plain text, the encryption result for the third character is 135 . In the ciphertext, 135 is the third character. In plain text, the fourth character is 91. Add (modulo 256) 91-128 to get (219) $\bmod 256=219$. In plain text, the encryption result for the fourth character is 219 . The character -4 in the ciphertext is 219 . In plain text, the fifth character is $65.65+\bmod 256128=(193) \bmod 256=(193)$ $\bmod 256=193$. In plain text, the encryption result for the fifth character is 193. The character -5 in the ciphertext is 193. Thus, the result of encryption for plain text with a length of 5 characters is $85,238,135,219$, and 193. Plaintext $=213$ points, 110 points, 7,91 points 65 points. The cipher text is $85,238,135,219$, and 193 with shift cipher 128 encryption (Ye and Ma, 2013).

Please take note of the decryption technique with shift cipher 128 , which is described as follows. If the plain text is composed of elements in 256 , the decryption process with shift cipher 128 is to add (modulo 256) each element by 128 . Let us consider the example where the ciphertext has a length of 5 characters: $85,238,135,219,193$. To decrypt the ciphertext with shift cipher 128 , we need to perform the following steps. The first character in the ciphertext is 85 . We add (modulo 256) 85-128, which gives us $85+\bmod 256128=(213) \bmod 256=213$.

Therefore, the decryption result for the first character in the ciphertext is 213213 corresponding to the $(5-1)^{\text {th }}$ character in plaintext. Similarly, we can decrypt the other characters in the ciphertext. For example, the second character in the ciphertext is 238 . We add (modulo 256) $238-128$, which gives us $238+\bmod 256128=(366) \bmod$ $256=110$. Therefore, the decryption result for the second character in the ciphertext is 110110 corresponds to the $(5-2)^{\mathrm{th}}$ character in plaintext. The decryption process for the rest of the ciphertext characters can be done in the same manner. Thus, the decryption results for the ciphertext with a length of 5 characters: $85,238,135,219$, and 193 are $213,110,7,91$, and 65 . In summary, the ciphertext is $85,238,135,219,193$ and the plaintext obtained by decrypting it with shift cipher 128 is 213,110 , 7, 91, 65.

The discussion regarding the function of the custom Logistics map is as follows. In the process of creating the

Unimodular Matrix of $Z_{256}$, we often encounter the word "random" selection. This "random" selection process involves the Log map Custom function which is based on the logistics function. The Custom Log map function is a custom function with Input $=3$ digit number (example: 230) and constant r and output $=$ number with more than 180 digits. The Logistics function is a recursive function defined as:

$$
f(n+1)=r \times f(n) \times(1-f(n)), \text { for } n=1,2,3,4,5 \ldots \text { etc }
$$

Thus we can calculate $f(2), f(3), f(4), \ldots, f(1$ million $)$, but cannot calculate $f(3 / 2), f(\pi), f(-4)$ etc. Note that to calculate $f(n+1)$ we need the value of the constant $r$ and to calculate $f(n)$ we need the value of $f(n-1)$ (Kordov, 2021). Some important things about our custom log map function algorithm are as follows. File python: pyeon_matriks_engine2.py. Lines 307-330. Function name: def logmap3 (vin initial value, vinR): Input: Vin initial value is input in the form of 3-digit numbers (example: 230) vinR is input constant $r$ (example: 0, 3471). Output: Numbers totaling more than 180 digits (Muktyas et al., 2021). Please note that in the $308^{\text {th }}$ line, the value of vin initial value entered by the user is modulated by 1000 . The point is so that the vin initial value is in the range $0-999$. Next, the $310^{\text {th }}-316^{\text {th }}$ line serves to reduce the vin initial value input by the user to $0, \ldots$ (zero commas umpteenth). For example, if the user inputs the value vin Initial Value $=233$, the value will be changed to 0.233 . This value will be used as $f(0)$. Moreover, the $319^{\text {th }}$ line sets calculation precision to 20 decimal places. Next, rows 321 and 322 calculate the logistic function based on $f(0)$ and the constant $r=\operatorname{vinR}$ to $f(20)$. Finally in lines $323-328$, if the iteration is in the calculation of $f(10), f(11), f(12)$, to $f(20)$, then the calculation results are appended to one, and then the comma is removed so that it becomes a long series of numbers (Abderrahim et al., 2012).

Please note the following example. Let $f(10)=0.9998$ $f(11)=0.1233333 \mathrm{f}(12)=0.6777754$. If $f(10), f(11) \mathrm{f}(12)$ are appended it will return: $0,99980,12333330,6777754$. Then if the comma is removed it will become 099980123333336777754 . This algorithm will append the calculation results $f(10), f(11), f(12)$, to $f(20)$. That way the number of digits will be very large. Then, if the total number of digits from the append calculation $f(10), f(11)$, $f(12)-f(20)$ is odd, then add a digit 1 behind so that the number of digits becomes even. 099980123333306777754 in the example above is 21 digits. Since the number of digits is odd, then the 1st digit is added at the end to become: 09998012333330677754 1. Thus, the number of digits is 22 , which is even (Gupta et al., 2019).

In this study, we also created several supporting functions as follows. The pyeon_matriks_engine2.py file
contains the Consolidated Encryption Technique support functions (Obaida et al., 2022) as follows. (1) arrinverse 256 is an array that stores information on the inverse of the multiplication operation modulo 256. (2) The serialize 2 function is used when storing a matrix in a text file. (3) The printm2 function is used to visualize matrices in the command line. (4) The inverse1V256a function is used to find the inverse of a matrix. The process is to perform the same series of elementary row operations on the reference matrix and identity matrix to convert the reference matrix into an identity matrix. The result of a series of elementary row operations on the identity matrix will make the identity matrix an inverse matrix. (5) The multiV256a function is used to multiply two matrices for the multiplication operation modulo 256. (6) The function obe2V256 is an elementary row operation of the second type (multiply by a constant) to the multiplication operation modulo 256. (7) The function obe 3 V 256 is an elementary row operation of the third type (addition of a row by a multiple of another row) to addition and multiplication operations modulo 256. (8) The unimodular1V256 function is a function to create a unimodular matrix where the entries are elements in $Z_{256}$. (9) The logmap3 function is a custom log map function that is used to make random selections (Ojobor and Obihia, 2021). The following is a simple example for the implementation of the proposed algorithm, that will end this section.

Now, insert your file: Video.mp4
The 1-dimensional binary matrix of your file: $p=\left[\begin{array}{llll}0 & 0 & 0 & \ldots \\ 219 & 807\end{array}\right]$ with size: $1 \times 967617$
Enter Password 1: 7
Enter Password 2: 77777

The encryption process begins.
Password 1 will be used as the size of Hill cipher's key matrix, that is $(7 \times 7)$ Password 2 will be used as the initial value of the logistic map. 77777 --> 0.777771
The sequence of the logistic map generated by $\times 0=$ 0.777771 is:
[46 801791961071561712160952052069584112 1561821837618118682177202120143 60]

The upper triangular matrix key based on the logistics sequence formed:
[ [1 4680179196107 156]
[0 11171216095 205]
[0 0012069584 112]
[00001156182183]
[0 0000176 181]
[0000001186]
[000000011]
We use elementary row operation to fill in the lower triangular matrix. Here is the key matrix:

```
[[1 46 80 179 196 107 156]
    [82 189 177 98 104 165 197]
[177 206 81 145 227 79 76]
[20276 326368 36 207]
[120 144 128 232 225 116 213]
[143 178 176 253 124 198 222]
[60 200 192 244 240 20 145]]
```

The partition process begins.
Based on Password 1 and The Division Theorem, the plaintext matrix will be split into $967617=7 \times 138231+0$, such that $(7 \times 138231)$ and $(1 \times 0)$
$(7 \times 138231)$ array part:
[ $[0000$... 47196 153]
[138 19798 ... 16760 230]
[ $88123222 \ldots 1315260$ ]
[ $3119198 \ldots 19171$ 222]
[169 25151 ... 15482 30]
[185 12363 ... 219807 7]]
$(1 \times 0)$ array part:
[]

Hill cipher + Shift cipher process begins.
The $(7 \times 7)$-size key matrix will be multiplied by the $(7 \times 138231)$-size plaintext matrix and then proceed to the rest $(1 \times 0)$-size with the Shift cipher 128 :

Ciphertext $(7 \times 138231)$ part:
[[95 $111104 \ldots 175109$ 4]
[ $44276 \ldots 24788$ 171]
[ 24207210 ... 560228 ]
[132 25053 ... 8671 153]
[ 369017 ... 12185 112]
[253 127159 ... 223220 247]]

Ciphertext $(1 \times 0)$ part:
[]
Now, we will reshape the ciphertext matrix from ( $7 \times 138231$ )-size into a 1 -dimensional matrix again, $(1 \times 967617)$-size + matrix from Shift cipher: $(1 \times 967617)$ array part:
[95 111104 ... 223220 247]
$(1 \times 0)$ array part:
[]
Finally, we will regroup two previous matrices and save them as binary files titled "Video_encrypted. mp4":
[95 111104 ... 223220 247]

The encryption process is finished.
Your encrypted file is in the same folder as the original file. The encryption time is 0.49244189262390137 sec .

## Results and Discussion

In this session, we will examine the research results obtained. After implementing a combination of Hill cipher, partition, shift cipher, and unimodular matrix logistic functions in the video encryption process, satisfactory results were obtained. By using a unimodular matrix on the Hill cipher, the complexity of the encryption key increases and provides a higher level of security. Then, by dividing the video block into several parts and doing a shift cipher on each part, it can increase resistance to attacks. Meanwhile, the use of the logistics function in each part of the video provides variations in each block thereby increasing the resistance of each block to attacks. In testing, this technique succeeded in producing well-encrypted videos and being able to maintain the original video quality properly. However, there is a weakness in this technique, namely the complexity of the algorithm is quite high, so it takes a long time to encrypt large videos. Therefore, in future research, it is possible to develop more efficient techniques to increase the encryption speed of large videos (Arifin et al., 2022a; Muktyas et al., 2021).

We will document the findings of this research throughout this session. The Combined Encryption Method is the method that will be applied in this study. Assume the following circumstances exist. Our file is more than 1 Kilo Bytes in size (KB). Keep in mind that 1,024 bytes make up 1 kilobyte. The file will be encrypted using the Encryption with Partition Method. 1,024 bytes are utilized as the partition size ( 1 KB ). Keep in mind that the file size and the partition size must be less than each other. This encryption approach employs two different kinds of encryption: (1) Unimodular Matrix Encryption over $\mathrm{Z}_{256}$. (2) Use Shift cipher 128 to encrypt. The results of the Unimodular Matrix encryption on $\mathrm{Z}_{256}$ are added with the results of the shift encryption (Rosalina, 2020). The front view of the digital video encryption and decryption application that we have developed can be seen in detail in Fig. 2.

The step-by-step use of the encryption-decryption application for the encryption process is as follows. Make sure you have installed Python and the required
packages on your computer/laptop. Make sure your computer/laptop has extracted the encryption and decryption application made using NodeJS. Make sure you have downloaded the source file that you want to encrypt, namely sample-10s.mp4. Make sure you have an encryption matrix. Open the encryption-decryption application. Click the open digital file button. Encrypt digital files. Select the sample-10s.mp4 file then click ok. Wait for the results to complete as shown in the command line window that opens. Please see the end of this chapter to know the encryption process algorithm (Taj et al., 2021). An illustration of this process can be seen in the following Fig. 3.


Fig. 2: Front view of the application made


Fig. 3: The current view will open the video sample data for encryption

The encryption process algorithm that we apply is as follows. It is assumed here that we will encrypt and decrypt a video file named sample-10s.mp4. The encryption and decryption processes are handled by a Python file: Encryptp2.py. Lines 43-70 determine whether to encrypt or decrypt. It all depends on input from the user. If the chosen one is to perform the encryption process, then lines $76-92$ will load the contents of the resulting matrix1qutama.dat file into the machine's memory as an encryption matrix. The encryption matrix has 1,032 entries. Thus, the encrypted source file, sample10s.mp4 which is $5,485,983$ bytes in size will be partitioned with each partition measuring 1,032 bytes. The partitioning process above results in 5,357 perfect partitions and 1 imperfect partition. This imperfect partition is 415 bytes in size as follows: (a) The $1^{\text {st }}$ perfect partition contains the 1 st to $1,024^{\text {th }}$ bytes. (b) The $2^{\text {nd }}$ perfect partition contains the $1,025^{\text {th }} 2,048^{\text {th }}$ bytes. (c) ...and so on $\ldots$, moreover (d) The $5,356^{\text {th }}$ perfect partition contains $5,483,521$ bytes up to the $5,485,544$ bytes. (e) The $5,357^{\text {th }}$ perfect partition contains $5,484,545$ bytes up to $5,485,568$ bytes. (f) The imperfect partition contains $5,485,569$ bytes to the $5,485,983$ bytes.

Those $103^{\text {rd }}$ to $157^{\text {th }}$ rows will iterate over the 1 st Perfect Partition to the $5,357^{\text {th }}$ Perfect Partition to multiply by the encryption matrix. Remember that the perfect partition is 1,024 bytes in size. All perfect partitions can be transformed into a matrix of 32 rows and 32 columns. The encryption matrix is a unimodular matrix over $Z_{256}$ which has 32 rows and 32 columns. Perfect partition entries and unimodular matrices are elements in $\mathrm{Z}_{256}$. So, we can multiply the unimodular matrix over $\mathrm{Z}_{256}$ and the perfect partition. (a) $1^{\text {st }}$ perfect partition encryption result $=$ encryption matrix $\times 1^{\text {st }}$ Perfect Partition (as matrix) (b) $2^{\text {nd }}$ perfect partition encryption result $=$ encryption matrix $\times 2^{\text {nd }}$ perfect partition (as matrix) (c) etc.

The results of this encryption are directly written to the output file (not stored in memory) so as not to burden memory performance. If the perfect partition encryption iteration has been completed, then the encryption process is continued by encrypting the imperfect partition using the shift cipher 128 methods. Lines 146-150 represent the process. The following is a verification of the encryption process we use. For example, we use the encryption matrix as below:

87;176;70;118;215;186;3;131;210;151;177;21;207;161;2 03;233;15
8;169;141;13;233;101;230;192;136;71;134;184;229;62;8 3;23
63;151;9;120;217;181;188;20;167;90;140;250;185;173;1 35;112;12
5;49;126;224;209;186;211;247;157;224;119;111;213;78; 191;79

63;48;87;238;111;240;129;98;188;130;12;31;142;170;16 8;208;143
;140;238;35;170;170;3;169;173;149;86;128;228;20;147;228
101;16;146;35;35;193;0;28;40;63;190;16;86;40;28;94;71
;93;123; 59;202;222;226;185;243;5;239;5;6;207;10;134
123;240;46;158;48;73;175;183;110;11;85;241;89;19;246 ;127;41;8
;171;240;118;102;29;97;51;148;12;129;94;83;112;160
109;144;226;242;237;59;119;209;46;116;241;175;250;2 49;252;106
;221;5;185;42;4;240;103;27;91;106;100;28;219;121;144;29
132;64;168;232;132;88;79;205;83;84;249;41;219;241;10 1;93;191;
180;44;80;204;244;216;70;86;155;98;35;143;154;171;53 94;96;108;204;94;148;118;169;89;173;211;5;183;176;47 ;175;169;
139;15;144;226;98;243;6;72;35;42;67;241;143;136;248
255;48;214;134;127;42;203;75;57;74;122;22;92;20;86;2
38;48;181
;57;52;208;205;239;27;24;12;243;47;50;63;124;54
81;208;74;154;209;182;197;69;222;24;159;35;253;71;16 5;31;120;
37;2;101;114;22;124;215;233;246;217;41;222;123;147;58 129;208;42;122;1;214;181;53;126;65;70;128;214;48;146 ;37;82;7;
130;65;247;8;200;147;207;196;92;34;174;163;110;102
240;0;96;96;240;160;176;176;32;240;144;63;75;147;221 ;210;148;
4;191;223;128;73;187;208;29;205;151;213;1;193;39;40
106;32;100;132;106;156;242;242;44;234;198;158;209;3 8;134;102;
92;70;180;228;237;56;39;3;2;161;149;101;77;213;157;211
2;160;84;244;2;172;106;106;252;130;110;230;146;181;2 48;39;177
;11;95;219;100;6;156;199;246;218;185;78;153;251;125;244
38;224;60;28;38;196;222;222;180;166;42;18;214;138;27 ;116;183;
139;75;103;53;53;41;66;4;122;43;191;162;101;89;118
179;112;94;78;51;162;15;143;26;243;117;105;11;37;247 ;242;179;
42;248;150;190;218;245;248;104;71;238;128;41;124;21;74
199;176;166;214;71;90;51;179;242;7;193;101;191;177;1 23;121;29
;243;96;96;75;76;247;213;215;88;177;33;211;199;16;148
44;192;56;248;44;200;28;28;168;44;116;196;140;52;188 ;212;24;5
1;13;137;186;196;64;71;38;164;29;158;87;175;15;158
8;128;80;208;8;176;168;168;240;8;184;152;72;56;104;2 48;144;24
8;251;242;3;201;217;165;155;139;253;2;204;132;151;151
99;112;62;46;227;194;127;255;186;163;69;121;59;245;2 31;221;11
8;157;81;92;77;130;185;144;197;240;181;109;186;119;134 ;91
109;144;226;242;237;30;145;17;166;45;107;247;21;187; 169;83;42
;147;159;31;160;39;166;144;64;109;232;222;190;196;4;48
62;96;44;140;62;212;214;214;132;190;82;218;174;50;23 0;66;92;1
94;74;74;66;255;62;23;65;51;123;145;69;133;20;103
240;0;96;96;240;160;176;176;32;240;144;208;112;144;4 8;16;224;
16;80;80;16;208;15;141;141;217;197;102;144;104;247;118
185;80;90;42;57;166;77;205;14;121;191;27;193;207;5;7; 130;71;3
5;163;7;203;186;143;176;174;88;27;98;149;111;19
197;16;82;226;69;174;201;73;246;133;83;127;45;35;33; 251;90;59
;231;103;251;111;50;64;173;160;195;177;148;21;188;178
23;176;198;246;151;58;195;67;82;87;241;85;143;225;13
9;41;30;2
33;205;77;41;165;102;192;136;68;200;108;25;45;162;71 252;192;88;24;252;168;44;44;8;252;36;52;220;228;76;4; 184;4;20;20;4;116;216;0;32;188;63;89;207;8;9;217
101;16;146;34;229;110;233;105;182;37;179;95;205;131; 65;91;154
;155;199;71;91;79;114;64;152;53;82;255;6;207;10;134
39;176;102;150;167;154;19;147;50;103;97;133;31;81;91 ;25;62;21
7;125;253;25;213;6;192;8;23;166;56;6;85;155;167
209;208;74;154;81;182;69;197;222;145;231;227;153;11
9;61;239;5
0;47;171;43;239;19;170;64;56;97;10;136;147;227;89;97
235;240;142;254;107;114;167;39;170;43;125;145;3;173; 207;85;6;
21;169;41;85;161;174;192;232;27;206;88;33;38;150;147
49;208;10;90;177;246;37;165;30;241;135;3;249;23;29;1
43;242;20
7;203;75;143;51;106;64;56;193;202;136;179;82;85;144
If we open the sample-10s.mp4 file in the notepad++ application, we will get a chaotic display like in the following Fig. 4.

Make sure the notepad++ application has the HEXeditor plugin installed. If we click View in HEX, it will look like the Figs. 5-6.

It looks much more human though it's still confusing. The characters in columns $0,1,2,3$, to f , are hexadecimal. To translate hexadecimal characters to numbers from 0-255, you can use the table in reference (Jameel and Fadhel, 2022). Figure 7 for more details.

Please compare the Dec to the Hex column in the table above. Okay, let's continue to observe the appearance in the command line of the encryption process at the bottom of the following line. Notice the text in yellow in the following Fig. 8.

The yellow text indicates the $5,357^{\text {th }}$ perfect partition. Remember that the $5,357^{\text {th }}$ perfect partition contains the $5,484,545$ bytes through the $5,485,568$ bytes. Since one row of the matrix consists of 32 columns, then based on the second row of yellow text we can conclude:


Fig. 4: The chaotic display in the notepad++ if we open the sample-10s.mp4


Fig. 5: The display in the notepad++ if we click to view in HEX


Fig. 6: Display of the characters in columns $0,1,2,3$, to f , are hexadecimal


Fig. 7: The characters in columns $0,1,2,3$, to f , are hexadecimal translated to hexadecimal characters to numbers from 0-255


Fig. 8: The characters in columns 0, 1, 2, 3, to f, are hexadecimal translated to hexadecimal characters to numbers from 0-255


Fig. 9: The display of HEX-editor notepad++. If we scroll to addresses 0053b000 and 0053b010
(a) The $5,484,545$ byte is $0 . \rightarrow$ HEX equivalent of 00 (b) The $5,484,546$ byte is worth $1 . \rightarrow$ equivalent to HEX 01 (c) The $5^{\text {th }}$ byte $5,484,547$ is $162 . \rightarrow$ equivalent to HEX A2 (d) The $5,484,573$ byte is worth $1 . \rightarrow$ equivalent to HEX 01 (e) The $5,484,573$ byte is $46 . \rightarrow$ equivalent to HEX 2E and (f) The 5,484,573 byte is 0 . $\rightarrow$ the HEX equivalent of 00 . Please look at Fig. 7. Go back to HEX-editor notepad++. If we scroll to addresses 0053 b 000 and 0053 b 010 , we will get a display like this in Fig. 9.

Notice the green and purple text in the yellow outline box. Is there any resemblance to HEX in the 6 bullet numbering above? Address 0053b000 in decimal is $5,484,544$. That means address 0053 b 000 contains the $5,484,545$ bytes to the $5,484,560$ bytes. Thus we can conclude that the first 32 bytes of the $5,357^{\text {th }}$ perfect partition are:
$00,01, \mathrm{~A} 2,00,00,01,68,00,00,01,1 \mathrm{~B}, 00,00,01,6 \mathrm{~A}, 00$, $00,04, \mathrm{C} 8,73,74,63,6 \mathrm{~F}, 00,00,00,00,00,00,01,2 \mathrm{E}, 00$
which is equivalent to the following decimal:
$0,1,162,0,0,1,104,0,0,1,27,0,0,1,106,0$, $0,4,310,115,116,99,111,0,0,0,0,0,0,1,46,0$

While the imperfect partition contains 5,485,569 bytes to the $5,485,983$ bytes. That means, the incomplete partition is contained in the HEX address which is equivalent to $5,485,569$ decimal places, which is 53b400. Figure 10 for more details.


Fig. 10: The display of the incomplete partition is contained in the HEX address which is equivalent to $5,485,569$ decimal places


Fig. 11: The display of the incomplete partition is contained in the HEX address which is equivalent to $5,485,569$ decimal places


Fig. 12: The display of the beginning of an imperfect partition of 415 bytes

Note that this imperfect partition has a size of 415 bytes. Since $415 \bmod 16=1$, it means that one cell in the
last row is empty, as indicated by the yellow arrow in the bottom right corner. Switch to the encrypted file. The following are the 5,484,545 bytes to the 5,484,576 bytes that correspond to addresses 0053 b 000 and 0053 b 010 . Figure 11 for more details.

In the red box above, please note the following HEX sequence:

53, 74, 80, 00, 69, CA, 5E, 00, DF, DB, FC, 00, 74, 61, E0, 00,
D5, F0, 05, 15, C3, 5C, 63, 00, 13, 5A, C6, 00, 5A, 6F, 39, 00
which is equivalent to the following decimal
$83,116,128,0,105,202,94,0,223,219,252,0,116,97$, $224,0,213,240,5,21,195,92,99,0,19,90,198,0,90$, 111, 57, 0

This is the first line of multiplying the encryption matrix with the $5,357^{\text {th }}$ perfect partition. We turn to the HEX address 53 b 400 which is the decimal equivalent of $5,485,569$. This is nothing but the beginning of an imperfect partition of 415 bytes. Figure 12 for more details.

Notice the 2 red squares above and below that contain HEX: C4, FE, 4F, 80 AE, B1, B0, B0. Note that C 4 is equivalent to decimal $196, \mathrm{FE}$ is equivalent to $254,4 \mathrm{~F}$ is equivalent to 79,80 is equivalent to 128 , AE is equivalent to $174, \mathrm{~B} 1$ is equivalent to 177 B 0 is equivalent to 176 . Also note that: (a) C 4 is equivalent to decimal 196. If (196-128) $\bmod 256=68$ is equivalent to HEX 44, (b) FE is equivalent to decimal 254. If (254-128) $\bmod 256=126$ is equivalent to HEX 7E, c) 4 F decimal equivalent 79. If $(79-128) \bmod 256=207$ HEX CF equivalent, (d) 80 decimal equivalent 128 . If (128-128) mod $256=0$ HEX 00 equivalent, (e) AE is 174 decimal equivalent. If $(174-128) \bmod 256=46$ HEX 2E equivalent, (f) B1 decimal equivalent 177. If (177-128) $\bmod 256=49$ HEX 31 equivalent $(\mathrm{g})$ B0 decimal equivalent 176. If (176-128) $\bmod 256=48$ HEX 30 equivalent. Is there any resemblance to the contents of the yellow box below? This screenshot is a sample10s.mp4 file that is opened using the HEX-editor notepad++ application starting at address 53b400. Figure 13 for more details.

The accompanying Table 1 displays the time needed for the encryption procedure the findings are somewhat unexpected. In general, the proposed method makes the encryption and decryption process take longer.

From the table, it can be concluded that the encryption time depends on the size of password 1. The larger the password 1, then the longer the time. This is because password 1 corresponds to the key size matrix in the hill cipher. Table 2 for more details.

0053b3d0 $42607000427 c$ ea $00428 b 5 f 00429 \mathrm{~d}$ ca 00 B 0053 b 3 e 04362 e6 004376450043889 a 004395 a4 00 Cb $\begin{array}{lllllllllllllll}0053 \mathrm{~b} 3 \mathrm{f} 0 & 44 & 48 & 72 & 00 & 44 & 5 \mathrm{a} & 08 & 00 & 44 & 69 & 34 & 00 & 44 & 75 \\ 98 & 00 & \mathrm{DH}\end{array}$ $0053 \mathrm{~b} 40044 \mathrm{7e}$ of 0048 e0 $32004973940049897 a \quad 00 \quad$ D 0053 b 4104996 ed 0049 a4 ea 004 a 54 0a 00 4a 678400 I0053 b 420 4a $790 c 004 \mathrm{a} 86 \mathrm{~b} 3004 \mathrm{~b} 3981004 \mathrm{~b} \quad 4 \mathrm{~d} 6900$ Jy 0053 b 4304 b e 72004 b 6 b 7 a 004 c 1 a e $1004 \mathrm{c} 306800 \mathrm{~K}^{\wedge}$ $0053 \mathrm{~b} 4404 \mathrm{c} 40 \quad 99004 \mathrm{c} 4 \mathrm{f} 99004 \mathrm{~d} 3269004 \mathrm{~d} 4 \mathrm{c} 30 \quad 00$ Le 0053 b 450 4d 5a 2 c 004 d 6 b 6 a 004 e 1 d b8 004 e 328 d 00 Mz 0053 b 460 4e 43 a 2004 e 538 f 004 e 688 a 004 f 09 b 100 NC 0053 b 470 4f 1b 7d 00 4f 28 1d $00 \begin{array}{lllllllll}50 & 15 & 57 & 00 & 50 & 27 & 01 & 00 & 0 .\end{array}$


 0053b4a0 51 c8 720051 d 5 fa 0052 3a 070052 4e f5 00 0053 b 4 b 0525 f 340052 6e 1a 0052 b 2 6e 0052 o9 8b $00 \mathrm{R}_{-}$ $\begin{array}{lllllllllllllll}0053 b 4 c 0 & 52 & \text { d } 8 & 13 & 00 & 52 & \text { ea } & 26 & 00 & 53 & \text { lb } & 47 & 00 & 53 & 4 \mathrm{~d} \mathrm{df} \\ 0 & 00 & R \varnothing \\ 005 & \end{array}$ |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| 0053 b 4 d 0 | 53 | 61 | 3 b | 00 | 53 | 79 | b 3 | 00 | 00 | 00 | 1 a | 73 | 67 | 70 | 64 | 01 | Sa |



 $\begin{array}{llllllllllllllllllll}053 b 500 & 60 & 75 & 74 & 61 & 00 & 00 & 00 & 5 a & 6 d & 65 & 74 & 61 & 00 & 00 & 00 & \text { bu } \\ 0053\end{array}$ $\begin{array}{llllllllllllllllll}0053 b 510 & 62 & 5 & 64 & 74 & 1 & 00 & 00 & 00 & 5 a & 6 d & 65 & 74 & 61 & 00 & 00 & 00 & \text { bu } \\ 0053 b 520 & 00 & 00 & 00 & 00 & 21 & 68 & 64 & 6 c & 72 & 00 & 00 & 00 & 00 & 00 & 00 & 00 & . .\end{array}$ $\begin{array}{llllllllllllllllllll}0053 \mathrm{~b} 520 & 00 & 00 & 00 & 00 & 21 & 68 & 64 & 6 \mathrm{c} & 72 & 00 & 00 & 00 & 00 & 00 & 00 & 00 & . . \\ 0053 \mathrm{~b} 530 & 00 & 6 \mathrm{~d} & 64 & 69 & 72 & 61 & 70 & 70 & 6 \mathrm{c} & 00 & 00 & 00 & 00 & 00 & 00 & 00 & \text {. }\end{array}$ $\begin{array}{llllllllllllllllll}0053 \mathrm{~b} 530 & 00 & 6 \mathrm{~d} & 64 & 69 & 72 & 61 & 70 & 70 & 6 \mathrm{c} & 00 & 00 & 00 & 00 & 00 & 00 & 00 & \cdot \mathrm{~m} \\ 0053 \mathrm{~b} 540 & 00 & 00 & 00 & 00 & 00 & 2 \mathrm{~d} & 69 & 6 \mathrm{c} & 73 & 74 & 00 & 00 & 00 & 25 & \text { a9 } & 74 & \text {.. }\end{array}$ $\begin{array}{llllllllllllllllll}0053 \mathrm{~b} 540 & 00 & 00 & 00 & 00 & 00 & 2 \mathrm{~d} & 69 & 6 \mathrm{c} & 73 & 74 & 00 & 00 & 00 & 25 & \text { a9 } & 74 & \text {.. } \\ 0053 \mathrm{~b} 550 & 6 \mathrm{f} & 6 \mathrm{f} & 00 & 00 & 00 & 1 \mathrm{~d} & 64 & 61 & 74 & 61 & 00 & 00 & 00 & 01 & 00 & 00 & \text { on }\end{array}$


Fig. 13: The display of a sample-10s.mp4 file that is opened using the HEX-Editor notepad++ application starting at address 53b400

Table 1: Encryption time

| Pass 1 | Pass 2 | Encryption time (seconds) |
| :---: | :--- | :---: |
| 5 | 2345 | $422,7135.0000$ |
| 26 | 2345 | 745.6350 |
| 100 | 2345 | 3378.7270 |

Table 2: Comparison of standard hill cipher and the proposed algorithm

| Properties | Hill cipher <br> standard | Proposed <br> algorithm |
| :--- | :--- | :--- |
| Key matrix size of $K_{n}$ | $n \leq 4$ sually <br> small $n$, | Any $n>0$ |
| Key matrix storage of $K_{n}$ | One whole <br> matrix of $K_{n}$ | Only 2 <br> parameter |

The decryption process is not similar to the encryption process. The difference is that the decryption process uses the inverse of the encryption matrix.

The main contribution to this topic is the development of a video encryption method that combines several cryptographic techniques such as Hill Cipher, partition, Shift Cipher, and unimodular matrix logistic functions. By using these techniques, video security will be increased and sensitive data on videos will be protected from unauthorized users. This method provides several quantitative advantages, including a higher level of security, and faster encryption times smaller file sizes compared to other video encryption methods. In addition, the use of a combination of different cryptographic techniques increases overall security, because the weaknesses of one technique can be compensated for by the other. In this case, the main contribution is the development of secure and effective video encryption methods by combining several existing cryptographic techniques. By using this method, it is hoped that video security can be improved and user privacy interests can be
protected. In addition, this method also contributes to the development of the science of cryptography and its applications in multimedia, especially video.

## Conclusion

Some conclusions that can be drawn from this study are that the use of a combination of several cryptographic methods can increase encryption security and reduce the possibility of attacks from irresponsible parties. The work motivation of this research is to increase security in the video encryption process which is increasingly important with the increasing use of video in various applications, such as in the world of business, media so on. By using a combination of several cryptographic methods, it is hoped that encryption security can be increased and prevent unauthorized access to encrypted videos.

The combination of several cryptographic methods used in this study can increase security in the video encryption process. Using partitions can speed up the video encryption process and reduce the computational burden on the device used. The application of unimodular matrices and logistic functions can increase the complexity of encryption, making it difficult for unauthorized parties to crack. The use of a combination of Hill cipher, partition, shift cipher, and unimodular matrix logistic functions in video encryption can provide a higher level of security than using a single cryptographic method. The results of this study can be used as a basis for developing more complex and secure video encryption techniques in the future.

Due to the challenge of locating a reversible matrix, the common hill cipher often utilizes a tiny $K_{n}, n \leq 4$ key matrix. Furthermore, the complete $K_{n}$ matrix is used as the key if $n>4$ with the conventional Hill Cipher. To address this issue, we build a Unimodular matrix in this study employing a unique logistic function as the key. $n>4$, yet it just requires two parameters (password 1-2). Encrypted files are more secure when Partition, Hill cipher shift cipher 128 are used together. The experimental findings indicate that the encrypted video is challenging for human eyes to decrypt. The program's slowness when encrypting files with big capacities is another flaw in this study. In this study, there is still an opportunity for future research, namely, to create a special function that maps audio-video into a matrix form so that it can be more real-time when performing the encryption process. Furthermore, in the future, it is still possible to combine several classic encryption methods that can be combined with the methods that have been successfully implemented, namely the hill cipher, shift cipher partition methods.

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## Author's Contributions

Samsul Arifin, Wihikanwijna and Indra Bayu Muktyas: Coding the program, written, and finalized the manuscript.

Suwarno: Written and finalized the manuscript.
Muhammad Amien Ibrahim: Coding the program and simulating the data.

Felix Indra Kurniadi and Nerru Pranuta Murnaka: Simulating the data, tidying up the theoretical basis and the methods we use.

## Ethics

This article is original and contains unpublished material. The corresponding author confirms that there is no conflict of interest in this study and no ethical issues involved.

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